



Oppgavene er hentet fra Kreyszig *Advanced Engineering Mathematics* 9. utgave.

1 (K9 14.1:6)

Find and sketch the path and its orientation given by:

$$z(t) = 3 + 4i + 5e^{it}$$

2 (K9 14.1:20)

Integrate by the first method (antidifferentiation) or state why it does not apply and then use the second method (path integration).

$$\int_C Re z dz, \quad C \text{ the parabola } y = x^2 \text{ from 0 to } 1+i.$$

3 (K9 14.1:20)

Integrate by the first method (antidifferentiation) or state why it does not apply and then use the second method (path integration).

$$\int_C (z + z^{-1}) dz \quad C \text{ the unit circle (counterclockwise)}$$

4 (K9 14.2:10)

Integrate $f(z) = \bar{z}^2$, indicating whether Cauchy's integral theorem applies.

5 (K9 14.2:14a)

For what contours C will it follow from Theorem 1 that

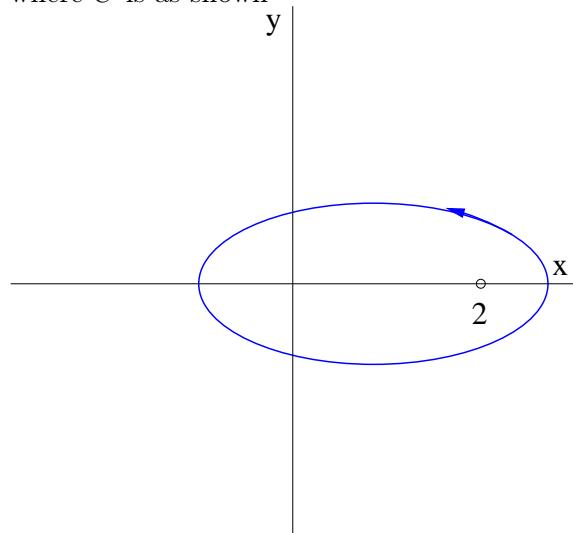
$$\oint_C \frac{dz}{z} = 0?$$

6 (K9 14.2:22)

Evaluate

$$\oint_C \frac{7z - 6}{z^2 - 2z} dz$$

where C is as shown

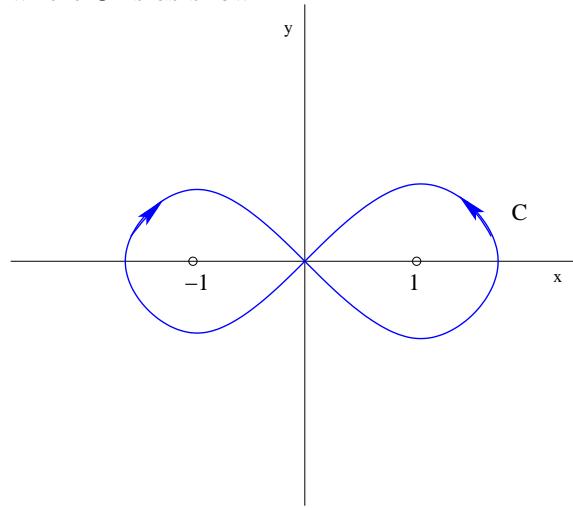


7 (K9 14.2.23)

Evaluate

$$\oint_C \frac{dz}{z^2 - 1}$$

where C is as shown



8 (K9 14.2.30)

Evaluate

$$\oint_C \frac{\tan(z/2)}{z^4 - 16} dz,$$

where C is the boundary of the square with vertices $\pm 1, \pm i$ (clockwise).

9 (K9 17.1.13)

Find and sketch or graph the image of the region $\ln 3 < x < \ln 5$ under the mapping $w = e^z$